European Congress of Chemical Engineering, Nice, September 2015

BREATHING LOSSES FROM LOW-PRESSURE STORAGE TANKS DUE TO ATMOSPHERIC WEATHER CHANGE

Dr. Davide Moncalvo, Dr. Michael Davies, PROTEGO, Germany

safety and environment

Agenda

1 Introduction

- 2 State of the art
- 3 Description of available models and experiments
- 4 Conclusions
- 5 Future work



Introduction

- Low-pressure tanks are large open-air storage tanks, containing huge amounts of product within thin walls
- Protection against corrosion and thermal losses caused by weather changes incl. storms is often done by organic <u>coating</u>
- A more economical corrosion protection may be <u>painting</u> the tank. However, a painted tank lacks of the thermal protection against weather temperature changes or seasonal rainfalls or droughts
- For a tank protected against vacuum and overpressure ambient heat inflow leads to breathing out of valuable product, whereas sudden cooling leads to vacuum, compendsated by in-breathing of ambient air.



State of the art

Literature sources on this topic

□ "*Naumann formulas*" (unpublished)

□ "Höchst paper" written by Sigel, Kuxdorf, Meiss and Schwarz in Chem. Ing. Tech. 55 (1983)
 □ "PTB Paper" alias PTB Bericht W-22 written by Förster, Schampel and Stehen (1984)

□ Salatino, Volpicelli and Volpe in Trans.IChem 77 (1999)

□ ISO 28300 (2008) identical to ANSI / API 2000 6th Ed. (2009)



State of the art / Models and experiments

Model	Model	Experiments	Applicability (Case study)
Naumann (unpublished)	Empirical		Thermal tank heating Thermal tank cooling
Höchst / Sigel et al. (1983)	Analytical	Rain cooling on Air tank (600 m ³)	Short rainfalls
PTB / Förster et al. (1984)	Analytical		Long sun exposure Short and long rainfalls Condensing tank products
Salatino (1999)	Analytical		Sudden rain falls

Note: The methods (measurements) presented here have been derived (performed) for <u>cylindrical</u> tanks



Naumann formulas

Naumann formulas are <u>conservative</u> empirical estimations of the tank maximum inand outbreathing to compensate for tank thermal heating and cooling

$$\dot{V}_{max-out} = 1.1 \frac{m}{h} \cdot H \cdot D \approx 1.292 \frac{m}{h} \cdot \left(\frac{H}{D}\right)^{1/3} \cdot (V_{tank})^{2/3}$$

$$\dot{V}_{max-in} = 1.5 \frac{m}{h} \cdot (H + 4D) \cdot D \approx 1.762 \frac{m}{h} \cdot \left[4\left(\frac{H}{D}\right)^{-2/3} + \left(\frac{H}{D}\right)^{1/3}\right] (V_{tank})^{2/3}$$



PTB tank heating model

Tank volume increment following a long sun exposure

$$\dot{V}_B(t) = \frac{V_{tank}}{T_{B0}} \frac{c}{\lambda} \left[exp\left(\frac{\lambda - a}{2}t\right) - exp\left(-\frac{\lambda + a}{2}t\right) \right]$$
$$\lambda = \sqrt{a^2 - 4b}$$

$$a_{PTB} = A_{tank} \cdot \left(\frac{\alpha_B}{C_B} + \frac{\alpha_B + \alpha_{conv} + 0.75\varepsilon_{emis}\alpha_{emis}}{C_E}\right)$$

 $b_{PTB} = A^{2}_{tank} \cdot \frac{\alpha_{B}}{C_{B}} \cdot \frac{\alpha_{conv} + 0.75\varepsilon_{emis}\alpha_{emis}}{C_{E}} \qquad c_{PTB} = A^{2}_{tank} \cdot \frac{\alpha_{B}}{C_{B}} \cdot \frac{I \cdot \varepsilon_{rad} \cdot \varphi_{GEOM} - 0.5 \cdot \varepsilon_{BLACK} \varepsilon_{emis}}{C_{E}}$

This formula foresees a maximum tank shrinking V_{max} at some time

$$\dot{V}_{max} = \dot{V}_B(\tau)$$
 with $\tau = \frac{1}{\lambda} \ln\left(\frac{a+\lambda}{a-\lambda}\right) \neq 0$

Höchst and PTB tank cooling model

Tank volume reduction following rainfall cooling

Unlimited rain (flood, deluge) Thin rain film thickness (rain)

$$\dot{V}_B(t) = V_B \cdot \frac{T_{B0} - T_{rain}}{T_{B0}} \frac{b}{\lambda} \left[exp\left(\frac{\lambda - a}{2}t\right) - exp\left(-\frac{\lambda + a}{2}t\right) \right]$$

$$\lambda = \sqrt{a^2 - 4b}$$

$$\boldsymbol{a} = A_{tank} \cdot \left(\frac{\alpha_B}{C_B} + \frac{\alpha_B + \alpha_w}{C_E}\right) \qquad \boldsymbol{a} = A_{tank} \cdot \left(\frac{\alpha_B}{C_B} + \frac{\alpha_B + \alpha_w(1-k)}{C_E}\right)$$
$$\boldsymbol{b} = A^2_{tank} \cdot \frac{\alpha_B}{C_B} \cdot \frac{\alpha_w}{C_E} \qquad \boldsymbol{b} = A^2_{tank} \cdot \frac{\alpha_B}{C_B} \cdot \frac{\alpha_w(1-k)}{C_E}$$

This formula foresees a maximum tank shrinking V_{max} at some time

$$k = \frac{\alpha_w}{\alpha_w + \dot{m}_{rain}c_{rain}}$$

for safet

 $\dot{V}_{max} = \dot{V}_B(\tau)$ with $\tau = \frac{1}{\lambda} \ln\left(\frac{a+\lambda}{a-\lambda}\right) \neq 0$

Salatino model

- It considers the different heat transfer intensity between gas and tank shall and the roof in a partially filled wetted tank. Liquid temperature is assumed unchanged.
- His method consists in a thermodynamic analysis of the tank before and after a weather change, f. i. rainfall cooling in a long hot dry summer
- Final gas temperature in function of the final temperature of each surface facing it

$$T_{end,G} = \sum \frac{A_i \cdot \alpha_{iG} \cdot T_i}{A_i \cdot \alpha_{iG}} = \frac{A_r \cdot \alpha_{rG} \cdot T_r + A_s \cdot \alpha_{sG} \cdot T_s + A_L \cdot \alpha_{LG} \cdot T_L}{A_r \cdot \alpha_{rG} + A_s \cdot \alpha_{sG} + A_L \cdot \alpha_{LG}}$$

 He proposed a rigorous numerical method and a simplified model to predict the maximum inbreathing load due to rainfall cooling of a warm tank (Difference 2 %)

$$\dot{V}_{tank} = \frac{R}{p} \cdot \left(T_{hot,G} - T_{cold,G} \right) \cdot \frac{A_r \cdot \alpha_{rG} + A_s \cdot \alpha_{sG} + A_L \cdot \alpha_{LG}}{c_p}$$



© Braunschweiger Flammenfilter GmbH

ISO 28300 and API 2000 (2009)

- The thermal outbreathing capacity is given by
 - $\dot{V}_{out} = Y \cdot (V_{tank})^{0.9} \cdot R_i$

Latitude	Y Factor
Below 42°	0.32
Between 42° and 58°	0.25
Above 58°	0.2

for safety and environment

The thermal inbreathing capacity is given by

© Braunschweiger Flammenfilter GmbH

PROTEGO® Initial test / Test condition and sensors



Tank data				
Tank diameter	1.15 m			
Tank length	4.3 m			
Tank volume	4.466 m ³			
Wall thickness	10 mm			
Medium in the tank	Air			
Test environment				
Wall temperature	55°C			
Sensors and measuring equipment				
Anemometer Testo 452 (max. 20 m/s ; accuracy ± 0.5 m/s) Test probe diameter 12 mm				

Inner Temperature Thermometer Pt100

Outer Temperature Thermocouple



Water poured using two hoses with combined mass flux of 230 kg/m²h

PROTEGO® Initial test / Temperature profiles and inbreathing velocity





Conclusions about the available data

- Besides ISO 28300 (API 2000), PTB and Höchst models enjoy wide acceptance
- Models have been validated for either gassy or laboratory size tanks
- The tanks are considered as uninsulated and the impact of wall thickness is unaccounted
- Some models predict the maximum inbreathing load occurring as soon as rain falls, while others assume it occurring later on
- Models often rely heavily on simplified assumptions for heat transfer coefficients, see f. i. constant temperature – independent convection coefficients
- Furthermore, most models use convection heat transfer coefficients derived for small diameter piping systems to tanks.
- Inner tank vapor condensation mechanism is usually neglected (Nucleation)

Future work / Targets for future research

- Measurements will be started with small tanks: test tank (4.3 m²) to API 12F (62 m²)
- Measurements with hot air, ethanol, methanol
- Filling levels: 10%, 50%, 75%, 90%
- Natural precipitation or water pouring with hoses
- Modeling product condensation (nucleation models), tank wall thickness and insulation

These are our ideas! We are open for suggestions, critics and inputs



Work in Progress / Roadmap

- 10th European Congress Chemical Engineering, <u>www.ecce.eu</u>
 27. Sept. 01. Oct. 2015, Nice, France, accepted paper
- DIERS Fall 2015 Meeting,
 05. 07. Oct. 2015, Houston, TX, USA
- Loss Prevention Conference 2016, <u>www.wp-lossprevention.eu</u>
 05. 08. June 2016, Freiburg, Germany, accepted paper
- DIERS Spring 2016, tbd



Thank you very much for your kind attention!

Reproduction, in part or in full, subject to prior written approval of Braunschweiger Flammenfilter GmbH. © 2015 All rights included.